

1. Graph quadrilateral $ABCD$ with vertices $A(0, 3)$, $B(2, 3)$, $C(3, 1)$, and $D(2, 0)$.

2. Graph the dilation with a scale factor $k = 3$. Label the new quadrilateral $FGHJ$

F (0, 9)

G (6, 9)

H (9, 3)

J (6, 0)

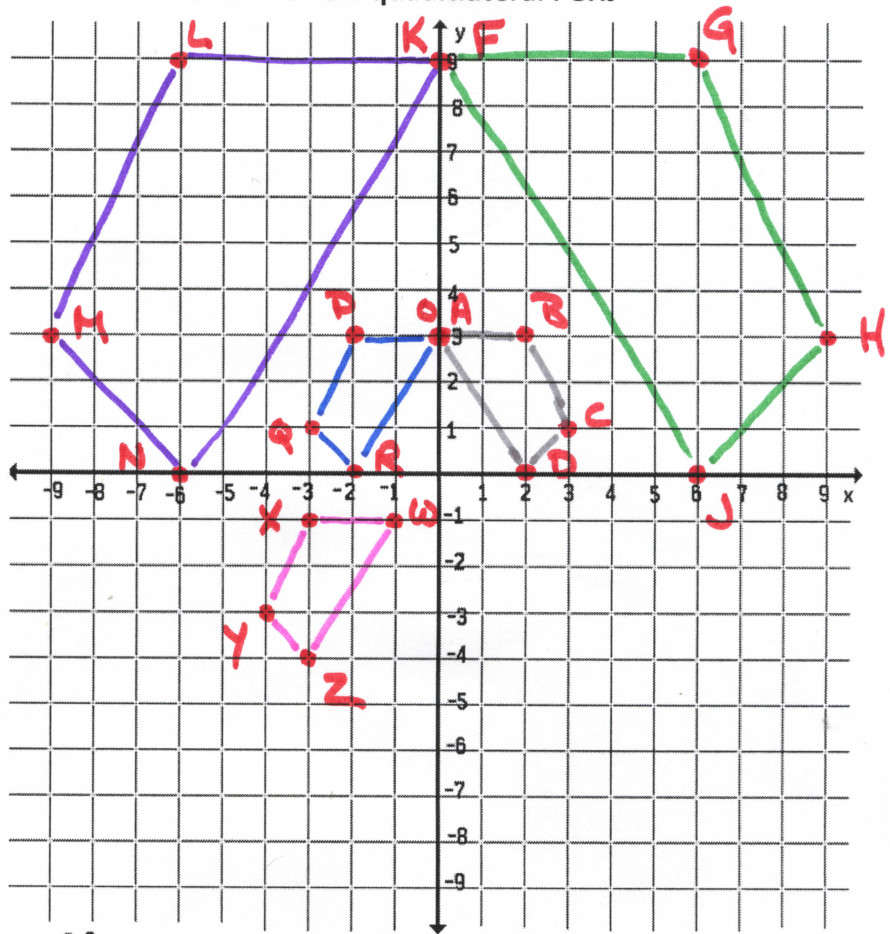
3. Graph the reflection of $FGHJ$ across the y -axis. Label this quadrilateral $KLMN$ and list the vertices below:

K (0, 9)

L (-6, 9)

M (-9, 3)

N (-6, 0)



4. Graph the reduction of $KLMN$ with a scale factor $k = \frac{1}{3}$. Label this quadrilateral $OPQR$ and list the vertices below:

O (0, 3)

P (-2, 3)

Q (-3, 1)

R (-2, 0)

5. Now translate $OPQR$ 1 units left and down 4 units. Label this quadrilateral $WXYZ$ below and graph

W (-1, -1)

X (-3, -1)

Y (-4, -3)

Z (-3, -4)

A summary of transformations on a coordinate plane

Transformation	How to change coordinates
Dilation	MULTIPLY BY SCALE FACTOR
Reduction	MULTIPLY BY SCALE FACTOR
y-axis reflection	X-COORDINATE IS THE OPPOSITE Y-COORDINATE IS THE SAME
x-axis reflection	X-COORDINATE STAYS THE SAME Y-COORDINATE IS THE OPPOSITE
Translation	X-COORDINATE: L (SUBTRACT) R (ADD) Y-COORDINATE: UP (ADD) DOWN (SUBTRACT)